

Competitive Product Tests with Minimum Quality Standards

Renkun Yang

Department of Economics
The Ohio State University

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Two firms compete in **quality disclosure** and **price** under **policy** interventions

Vertical oligopoly:

- ▶ Firms sort in quality and each serves a segment of the market
- ▶ Firms max differentiation and under-provide quality

Policy intervention: **minimum quality standard (MQS)**

- ▶ mitigate excessive differentiation and raise quality provision

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- ▶ *ex ante*: firms do not always know the exact quality, e.g., medical tests
- ▶ flexibility: increasing availability of various channels, e.g., IncoTest, *Consumer Reports*, lab or field experiments, etc.
- ▶ credibility: firms prefer credibility if possible

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Vertical differentiation and quality disclosure

- ▶ Shaked and Sutton, 1982; Board, 2009; Levin et al., 2009

Minimum quality standard

- ▶ Leland, 1979; Ronnen, 1991; Crampes and Hollander, 1995; Buehler and Schuett, 2014

(Competitive) information design

- ▶ KG, 2011; Dworzak and Maritini, 2019; Kleiner et al., 2020; Arieli et al., 2020
- ▶ Gill and SgROI, 2012; Zapechelnyuk, 2020; Roesler and Szentes, 2018
- ▶ KG, 2016; Boleslavsky et al., 2019; Yang, 2020

Market environment

- ▶ Two firms, qualities $q_i \sim F = U[\underline{q}, \bar{q}]$ i.i.d.
- ▶ Unit mass of consumers, taste $\theta \sim H = U[\underline{\theta}, \bar{\theta}]$
- ▶ Consumer's utility if purchase from i : $u = \theta q_i - p_i$
- ▶ Covered duopoly assumptions $\bar{\theta} \geq 2\underline{\theta}$, $\frac{\bar{q} - \underline{q}}{\underline{q}} \leq \frac{3\underline{\theta}}{\bar{\theta} - 2\underline{\theta}}$.

Timing

- ▶ A minimum quality standard s_0 is imposed
- ▶ Firms choose public tests $\tau_i = (\beta_i, S_i)$
- ▶ Scores $s_i = E(q_i | s_i)$ are publicly generated
- ▶ Firm i exits iff $s_i < s_0$
- ▶ Remaining firm(s) decide price
- ▶ Consumers choose products

Monopoly:

- ▶ Consumers purchase if $s\theta - p \geq 0$
- ▶ Monopolist: $\max_p p(1 - H(p/s))$
- ▶ Equilibrium

$$p^m = \frac{\bar{\theta}}{2}s, \quad \pi^m(s_i) = \frac{\bar{\theta}^2}{4(\bar{\theta} - \underline{\theta})}s$$

Duopoly:

- ▶ Consumers purchase from i if $s_i\theta - p_i \geq \max\{s_j\theta - p_j, 0\}$
- ▶ The cutoff type X : $s_iX - p_i = s_jX - p_j$
- ▶ High (low) score firm serves $\theta \geq X$ ($\theta < X$)

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- ▶ High (low) score firm serves $\theta \geq X$ ($\theta < X$)
- ▶ Equilibrium $X^* = \frac{\bar{\theta} + \underline{\theta}}{3}$

$$p_h^d = \frac{(2\bar{\theta} - \underline{\theta})}{3}(s_h - s_l), \quad p_l^d = \frac{(\bar{\theta} - 2\underline{\theta})}{3}(s_h - s_l).$$

$$\pi_h^d = \frac{(2\bar{\theta} - \underline{\theta})^2}{9(\bar{\theta} - \underline{\theta})}(s_h - s_l), \quad \pi_l^d = \frac{(\bar{\theta} - 2\underline{\theta})^2}{9(\bar{\theta} - \underline{\theta})}(s_h - s_l).$$

- ▶ In equilibrium each firm i chooses τ_i such that

$$\tau_i^* \in \operatorname{argmax}_{\tau_i} E_{\tau_i} E_{\tau_{-i}} [\pi_i] \quad \forall i$$

► Equivalently

$$\max_{G_i \in MPC(F)} \int_{\underline{q}}^{\bar{q}} \int_{\underline{q}}^{\bar{q}} \pi_i(s_i, s_{-i}) dG_{-i}(s_{-i}) dG_i(s_i) \quad \forall i$$

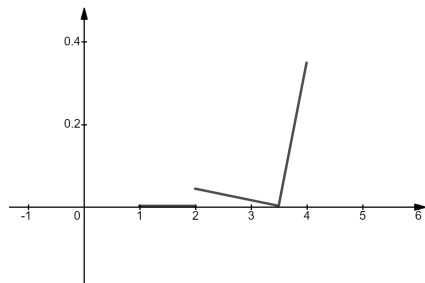


Figure 1: $\pi_1(s_1, s_2)$ when $s_0 = 2, s_2 = 3.5$

Theorem

For any s_0 there exists an essentially unique symmetric equilibrium such that:

- 1. when $s_0 < s_0^l$, each firm pools all states in $[\underline{q}, 2s_0 - \underline{q}]$ at s_0*
- 2. when $s_0^l \leq s_0 < s_0^u$, each firm pools all states in $[s_0 - \delta, s_0 + \delta]$ at s_0 and reveals all states $s_i > s_0 + \delta$*
- 3. when $s_0 > s_0^u$, each firm pools all states $s_i > 2s_0 - \bar{q}$ at s_0*

where δ, s_0^l, s_0^u are uniquely determined.

Softening competition

- ▶ Both firms enjoy maximal differentiation
- ▶ Toward full revelation

Increasing pass probability

- ▶ Both firms hate exclusion
- ▶ Toward concealment around s_0

Proof of Equilibrium Characterization

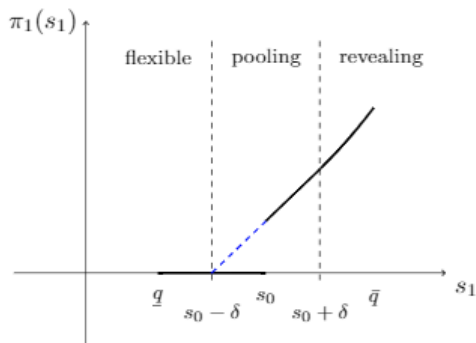


Figure 2: Equilibrium interim payoff $\int \pi_1(s_1, s_2) dG^*(s_2)$

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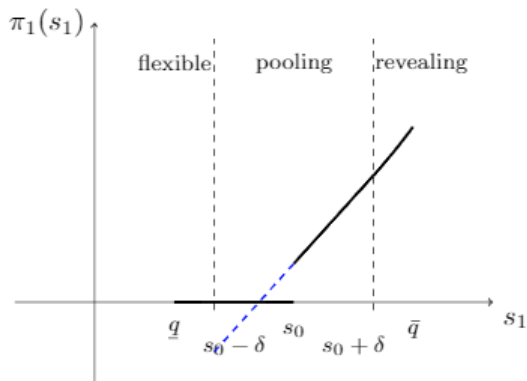


Figure 3: Non-equilibrium interim payoff $\delta_2 > \delta^*$

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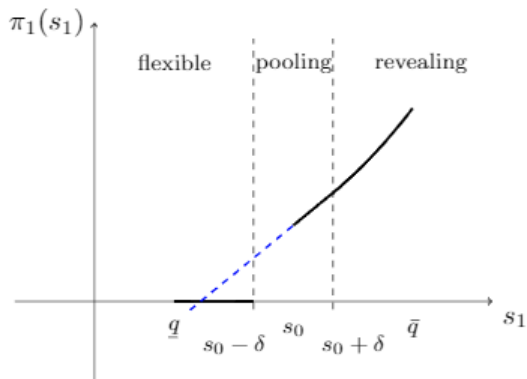


Figure 4: Non-equilibrium interim payoff $\delta_2 < \delta^*$

$$\max_{G \in MPC(F)} \int \pi(s) dG(s)$$

All possible best responses (Kleiner, Moldovanu and Strack, 2020)

- ▶ Interval partitions with separating, uni-pooling, bi-pooling
- ▶ Arbitrary when $\pi(s)$ is linear (indifferent)

Proof by contradiction

- ▶ Full separation is not eqm
- ▶ No mass points other than s_0
- ▶ No “matching-pennies” equilibrium

Welfare Implication

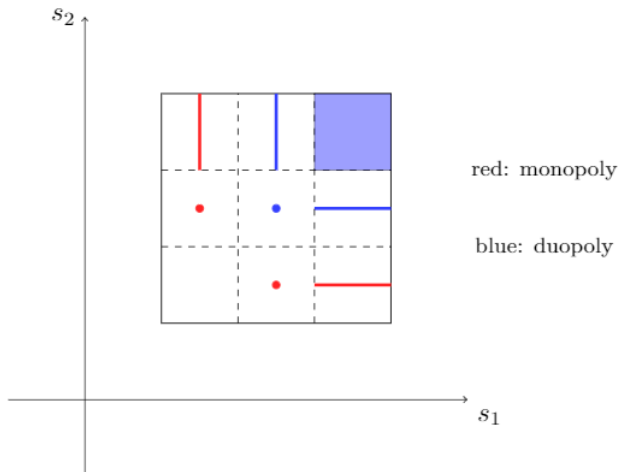


Figure 5: Equilibrium distribution of scores and market structure

Nontrivial MQS hurts firms

- ▶ (–) Intensify price competition
- ▶ (–) Induce exclusion when $s_0 > s_0^l$
- ▶ (+) Creates monopoly but dominated when $s_0 > s_0^l$

Nontrivial MQS hurts total welfare (PS+CS)

- ▶ (–) Induce mismatch
- ▶ (–) Induce exclusion when $s_0 > s_0^l$
- ▶ Price is pure transfer

Nontrivial MQS benefits consumers

- ▶ (+) Intensify price competition
- ▶ (−) Induce mismatch
- ▶ (−) Induce monopoly and no trade when $s_0 > s_0^l$

A nontrivial MQS increases CS when it's low

$$\frac{d}{ds_0}CS > 0 \text{ when } s_0 \in (\underline{q}, s_0^l)$$

Extensions?

- ▶ General q distribution? No problem
- ▶ General θ distribution? No problem
- ▶ Uncovered market? Maybe
 - ▶ Additional concern: demand effect
 - ▶ Additional reason for introducing MQS

Who controls the test?

- ▶ Regulator designs test/certification
- ▶ A self-interested intermediary
- ▶ Firms can always disclose more? (Terstiege and Wasser, 2020)

Quality provision and certification design

- ▶ How firms invest in quality improvement in response to different tests?
- ▶ Bayesian persuasion with moral hazard (Boleslavsky and Kim, 2018; Zapechelnyuk, 2020 AERI)

Thanks!